

# Generative Neural Networks for the Sciences

Assumption: "Reality" works according to some hidden mechanisms

$x \sim p^*(x)$  unknown true probability  
"true generating process"

Goal: find approximation  $x \sim p(x)$  (or  $\hat{p}(x)$ )

we have data training set  $TS = \{x_i \sim p^*(x)\}_{i=1}^N$

$\Rightarrow$  use TS to learn  $p(x) \approx p^*(x)$

two aspects of generative modeling:

- "inference": given some data instance  $x_i$ , calculate value of  $\hat{p}(x_i)$
- "generation": create synthetic data  $x \sim \hat{p}(x)$  which is indistinguishable from real data  $x \sim p^*(x)$

◦ downstream benefits of generative modeling:

- powerful tool for humans (e.g. chat Bot as personal teacher)
- help produce insight: identify important factors influencing the outcome  
ex: "symbolic regression": find (learn) analytic formulas to explain reality (vanilla neural networks are "black boxes")
- use  $p(x)$  for decision making: ex: is treatment A better than B for patient X?  
"digital twin", "precision medicine"

R. Feynman: "What I cannot create,  
I do not understand."